

Signature Based DWT-SVD Watermarking Scheme for Image Security

Savetha Ch¹, M. Gnanapriya²

¹PG Scholar, Dept. of ECE, GKCE, Sullurpet

²Associate Professor & Head, Dept. of ECE, GKCE, Sullurpet

ABSTRACT

Security in digital era is very much crucial as the resources held digitally are invisible and untouchable in nature and rather difficult to handle when intruder uses a strong decryption algorithm. A number of security schemes are proposed by both cryptographic and image processing groups for communication of images. Among those, Discrete Wavelet Transform – Singular Value Decomposition based scheme is most important one and is in use quite recently in many applications. In this paper an authentication problem associated with standard DWT-SVD scheme is presented and a solution is proposed in the form of second stage security by generation an additional signature. The unitary matrices are used to generate a signature which is going to be embedded into the fourth level decomposition of cover image. After extracting the watermark at the other end, it will be checked with the signature embedded. If these signatures are matched the unitary matrices will be used to extract watermark from watermarked image. Different attacks are considered and the simulation results have shown that the extraction of watermark after attacks have shown minor effect only.

Keywords: Attacks, Authentication, Signature, SVD, Watermarking

I. INTRODUCTION

Without a doubt, the Internet has revolutionized the way we access information and share our ideas via tools such as Facebook, twitter, email, forums, blogs and instant messaging. The Internet is also an excellent distribution system for digital media. It is inexpensive, eliminates warehousing and delivery, and is almost instantaneous. Together with the advances of compression techniques such as JPEG, MP3 and MPEG; the Internet has become even faster, easier and more cost effective to distribute digital media such as audio, video, images and documents over the World Wide Web. In addition to existing web sites and shared networks, the recent development of peer-to-peer (P2P) file distribution tools such as Kazaa, Limewire, Exceem or eMule enables a copious number of web users to easily access and share terabytes of digital media across the globe. These technologies also significantly reduce the efforts of pirates to illegally record, sell, copy and distribute copyright-protected material without compensating the legal copyright owners [1][2].

Today, content owners are eagerly seeking technologies that promise to protect their rights and secure their content from piracy, unauthorized usage and enable the tracking and conviction of media pirates. Cryptography is probably the most common method of protecting digital content [3], where the content is encrypted prior to delivery and a decryption key is provided to those who have purchased legitimate copies. However, cryptography cannot help the content providers monitor their goods after the decryption process; a pirate could easily purchase a legit copy and then re-sell it or distribute it for free over a shared network. It is therefore important to find a way to protect these digital media with a more stringent method, which would enable the vendors and artists / photographers / directors get confidence in placing and distributing their material over the Internet. Watermarking could be such a vehicle [4]. Digital watermarking is a field that refers to the process of embedding digital data directly onto multimedia objects such that it can be detected or extracted later. It has three unique advantages over other techniques such as cryptography.

First of all, it is imperceptible and does not affect the aesthetic of the digital data. Secondly, watermarks become fused with the actual bits of the work, unlike headers they do not get removed when the work is displayed, copied or during format changes. Lastly, they undergo the same transformation as the work itself and sometimes the extracted mark can be used to learn about the history of transformations that the work has undergone [5].

II. SVD

A common problem is that the response matrix is singular or close to singular, so it has no well-defined inverse. Of the various algorithms that have been developed to deal with this problem, singular value decomposition (SVD) has emerged as the most popular. Any matrix can be represented with SVD as follows [6]:

$$M = \sum_{k=1}^n \vec{u}_k w_k \vec{v}_k^T$$

where \vec{v}_k is a set of orthonormal steering magnet vectors, \vec{u}_k is a corresponding set of orthonormal BPM vectors, and w_k are the singular values of the matrix M . Given the SVD of a matrix, the matrix inverse is:

$$M^{-1} = \sum_{k=1}^n \vec{v}_k \frac{1}{w_k} \vec{u}_k^T$$

which follows from the orthonormality of the two vector sets. It is immediately apparent from the singular value decomposition if the response matrix is singular one or more of singular values, w_k , are zero. Physically, a zero w_k implies that there is some combination of steering magnet changes, \vec{v}_k , which gives no measurable change in orbit. The orbit shift from this \vec{v}_k is zero at all the BPMs. Removing the terms with zero w_k from the sum in the above equation produces a pseudo inverse for orbit correction which generates no changes in the steering magnet strengths along the corresponding eigenvectors \vec{v}_k [7-9].

III.DWT

The Fourier analysis is based on decomposing a function per sine waves with different frequencies. Similarly, the wavelet analysis is the decomposition of a function onto shifted and scaled versions of the basic wavelet. A wavelet is a wave shaped function having a limited length with a zero mean value [10-12]. This means that a wavelet decreases fast enough in the frequency domain, and that

$$\hat{\psi}(0) = \int \psi(x) dx = 0 \tag{1}$$

which is a consequence of the condition for the existence of the inverse wavelet transform. Unlike a sine wave, wavelets are generally irregular and asymmetrical.



Fig. 1 Sine function and a wavelet

It is intuitively clear that functions with sharp changes can be analyzed better using short irregular waves than with a smooth infinite sine. The wavelet basis $\{\psi_{j,k}(x)\}_{j,k}$ is generated by the translation and dilatation $\psi(2^{-j}x - k)$ of the basic ("mother") wavelet $\psi(x)$. If the basic wavelet $\psi(x)$ ($\psi(x) \equiv \psi_{0,0}(x)$) starts at the moment of $x = 0$ and ends at the moment of $x = N - 1$, the shifted wavelet $\psi_{0,k}$ starts at the moment of $x = k$ and ends at the moment of $x = k + N - 1$. The scaled wavelet $\psi_{j,0}$ starts at the moment of $x = 0$ and ends at the moment of $x = 2^j(N - 1)$. Its graph is scaled (compressed or expanded, depending of the sign of j) by a factor of 2^j , while the graph of the wavelet $\psi_{0,k}$ is translated to the right by k , if $k > 0$,

Scaling $\psi_{j,0}(x) = 2^{-j/2}\psi(2^{-j}x)$, (2)

Translation $\psi_{0,k}(x) = \psi(x-k)$. (3)

The basis wavelet is generated by scaling the basic wavelet j times and shifting it by k ,

$$\psi_{j,k}(x) = 2^{-j/2}\psi(2^{-j}x - k) \tag{4}$$

The multiplier $2^{-j/2}$ is a normalizing factor, so that the L_2 norm of the wavelet is equal to one. The space of details on the j -th resolution level W_j contains functions that are linear combinations of wavelets $\psi_{j,k}(x)$. The 1-D continuous wavelet transform is given by:

$$W_f(a, b) = \int_{-\infty}^{\infty} x(t)\psi_{a,b}(t) dt \tag{5}$$

The inverse 1-D wavelet transform is given by:



$$x(t) = \frac{1}{C} \int_{a=0}^{\infty} \int_{b=-\infty}^{\infty} W_f(a,b) \psi_{a,b}(t) db \frac{da}{a^2} \quad (6)$$

$$\text{where } C = \int_{-\infty}^{\infty} \frac{|\Psi(\omega)|^2}{\omega} d\omega < \infty \quad (7)$$

$\Psi(\omega)$ is the Fourier transform of the mother wavelet $\psi(t)$. C is required to be finite, which leads to one of the required properties of a mother wavelet. Since C must be finite, then $\Psi(0) = 0$ to avoid a singularity in the integral, and thus the $\psi(t)$ must have zero mean. This condition can be stated as $\int_{-\infty}^{\infty} \psi(t) dt = 0$ and known as the admissibility condition.

IV. THE STANDARD DWT-SVD WATERMARKING ALGORITHM

In this paper a basic watermarking based on cascading DWT with SVD is proposed. By using DWT the cover image is decomposed into four frequency bands: LL, HL, LH, and HH bands. LL band characterizes low frequency, HL and LH characterize middle frequency and HH characterizes high frequency bands, correspondingly. The LL band signifies approximate details, HL band horizontal details, LH vertical details and HH band diagonal details of the image. In this scheme, HH band was selected to embed the watermark image because it comprises of finer details and contributes immaterially to the image energy. Therefore embedding of watermark will not affect the perceptual fidelity of cover image. Furthermore, high energy LL band coefficient cannot be pinched away from certain point as it will harshly impact perceptual superiority. Also, Raval and Rege [13] observed that watermark image inserted in HH band lasts certain image processing operations or attacks like noise addition, intensity manipulation and limitation of the human visual system (HVS) can be exploited by inserting watermark into HH band.

The HVS fails to distinguish variations made to HH band. Thus the proposed scheme is based on the idea of replacing singular values of the HH band with the singular values of the watermark. It is observed that singular values lie between 84 and 173 for most of the standard images. If a watermark is selected such that its singular values lie within the given range, then the energy of the singular values of watermark image will be roughly equal to the energy of the SVs of the HH band. Thus the replacement of the singular values will not affect perceptual quality of images as well as the energy content of HH band. Watermark image used for experimentation in this work is preprocessed to have singular values within the range of 0–150 and it closely matches the singular values of the given test images.

a. Algorithm for watermark embedding:

- i. Watermark 'W' is decomposed using SVD

$$W = U_w * S_w * V_w^T$$

- ii. Apply wavelet (in this work 'haar') and decompose cover image into four subbands: LL, HL, LH, and HH.
- iii. Apply SVD to HH band.

$$H = U_H * S_H * V_H^T$$

- iv. Substitute the SVs of the HH band with that of the watermark.
- v. Apply inverse SVD to obtain the modified HH band.

$$H' = U_H * S_w * V_H^T$$

- vi. Apply inverse DWT to produce the watermarked image.

b. *Algorithm for watermark extraction:*

- i. Using the haar wavelet, decompose the (noisy) watermarked image into four subbands: LL, HL, LH, and HH.
- ii. Apply SVD to HH band.

$$H = U_H * S_H * V_H^T$$

- iii. Extract the SVs from HH band.
- iv. Reconstruct the watermark using SVs and orthogonal matrices U_w and V_w acquired using SVD of original watermark.

$$W_E = U_w * S_H * V_w^T$$

This constitutes a blind decoding as the extraction process don't need original cover image for extracting the watermark image at the receiver.

V. AUTHENTICATION MECHANISM IN THE PROPOSED SCHEME

Zhang and Li [14] observed an authentication problem in the basic SVD based approaches proposed by Zhou and Chen [7], and Ganici and Ahmet Eskicioglu [15]. This section discusses the common problem with most of SVD-based schemes in the state-of-art techniques. To make evident the problem assume that two different watermark images were embedded in an image separately as shown in Figure 2 using the standard SVD system. The watermark images were embedded by changing the SVs of cover image with the SVs of the watermark images. Decoder guesses the watermark by merging SVs extracted from one watermarked image and using orthogonal matrices of other watermark. Figure 3 shows that the decoder extracted SVs from watermarked image-2 and combine them with orthogonal matrices (U_1 and V_1) for watermark extraction. As a consequence, watermark-1 is extracted in place of watermark-2.

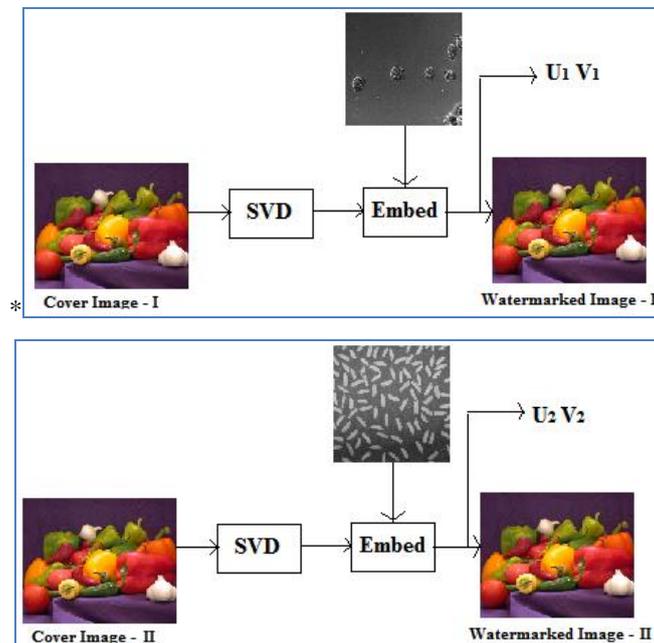


Figure 2 Embedding of watermark.

Zhang and Li in [13] shown that the orthogonal matrices U and V preserve most of the data as they characterize Eigen vectors of the respective SVs. When inverse SVD is applied, Eigen vectors play a significant role in extraction. Thus if any singular matrix is utilized along with Eigen vectors it will produce the correlated output as an alternative of the actual output. The correlation will be high if the unmatched SVs will be roughly equal to the original SVs. So it gives rise to large number of false-positives during watermark detection and also presents a security hazard.

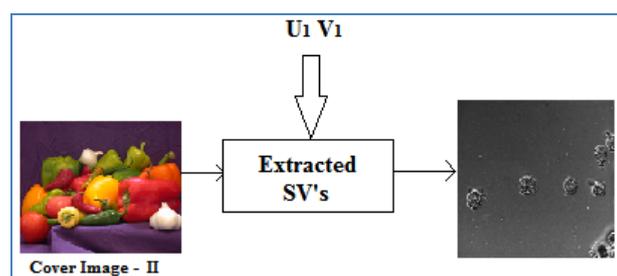


Figure 3 Extraction of watermark.

This risk can be seen as problem of unauthorized embedding wherever an attacker may use his own set of Eigen vectors throughout watermark extraction and claims false possession. To overcome these disadvantages, a signature-based authentication tool for U and V matrices was presented in this paper. Orthogonal matrices (U and V) are authenticated before combining them with SVs to generate watermark image. A unique signature conforming to the orthogonal matrices are created and embedded into the cover image along with the

watermark. The decoder extracts these signatures, authenticates orthogonal matrices and then proceeds with the extraction of watermark. This will safeguard a correct mapping among the SVs and orthogonal matrices.

a. Generation of signature

Digital signature of the orthogonal matrices is a unique binary string made through a hashing function. In addition, the digital signature must be random, so that an attacker can't predict them. Digital signature for the orthogonal matrices is generated as follows.

Proposed algorithm:

- i. Add the column of orthogonal matrices and create 1-D array.
- ii. Based on the threshold, map the array values into corresponding binary digits.
- iii. By XORing the binary digits make the signature for the given orthogonal matrices.

Threshold value plays an important role while mapping and it is used to randomize the mapping, improving the security.

b. Proposed authentication scheme

Embedded signature should remain robust against processing manipulation. Alteration in signature bits at decoder roots authentication to miscarry. Therefore, signature bits must be embedded into high energy region for better robustness. The length of the signature is kept small to minimize changes in the high energy coefficients. Signature should persist robust against wide range of attacks hence one set of signature bits are embedded into LL4 and another set is embedded into HH4 band to ensure retrieval from at least one of the band. The algorithm for embedding and extracting the signature is given below.

Signature embedding:

- i. Produce the signature of N bits for the U and V matrices of watermark.
- ii. Using Haar wavelet, decompose the cover image into 4 subbands: LL, HL, LH, and HH. Further decompose LL band to the 4th level.
- iii. Select N random coefficient from LL4 and HH4 band with the help of secret key. Convert the integer part into the binary code of L bits.
- iv. Replace the n^{th} bit of the coefficient with signature bit and then convert the binary code to its decimal representation.
- v. Apply the inverse DWT with modified LL4 and HH4 band coefficients.

Signature extraction:

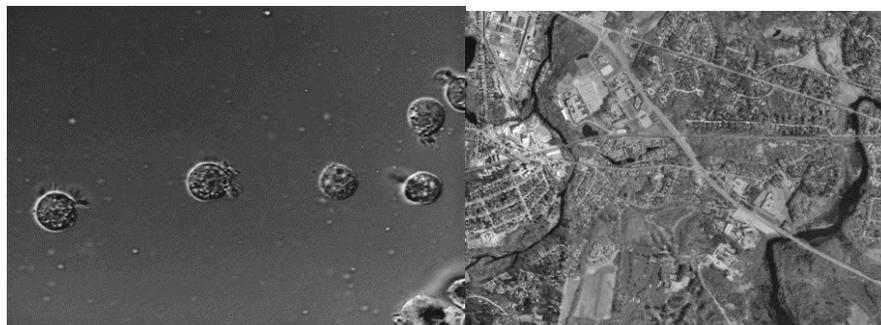
- i. Using DWT, decompose the watermarked image into 4 sub-bands: LL, HL, LH, and HH with help of Haar wavelet and further decompose LL band to the 4th level.

- ii. Select N random coefficient from LL4 and HH4 band with the help of shared secret key. Convert the integer part of selected coefficient into the binary code of L bits.
- iii. Extract the n^{th} bit from the coefficient to extract the signature.
- iv. Generate signature using U and V matrices of the original watermark at the receiver and compare it with extracted signature. If they match, authenticate U and V matrices and use them in watermark estimation.

In this work an 8-bit signature is produced for the authentication. Certain coefficients from LL4 and HH4 were changed to 16 bit binary number and 10th most significant bit position is replaced with signature bits. This authentication mechanism is employed in parallel with the watermarking scheme. Figures 4a and b show the block diagram of the proposed scheme. The encoder will embed the watermark and signature bits according to the proposed scheme. The decoder extracts the signature and matches it with the regenerated signature for authentication of U and V matrices. If matching criteria is satisfied, then decoder will continue estimating watermark.

VI. SIMULATION RESULTS

In this section the simulation results of the proposed technique is presented. The images in Figure 4 are considered as the cover image and watermark respectively.



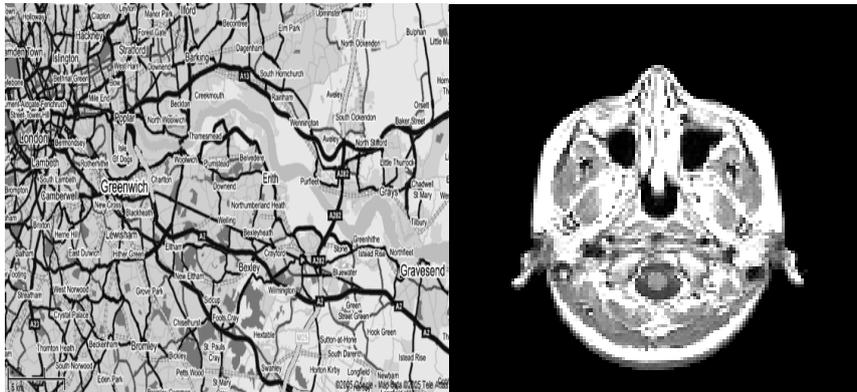
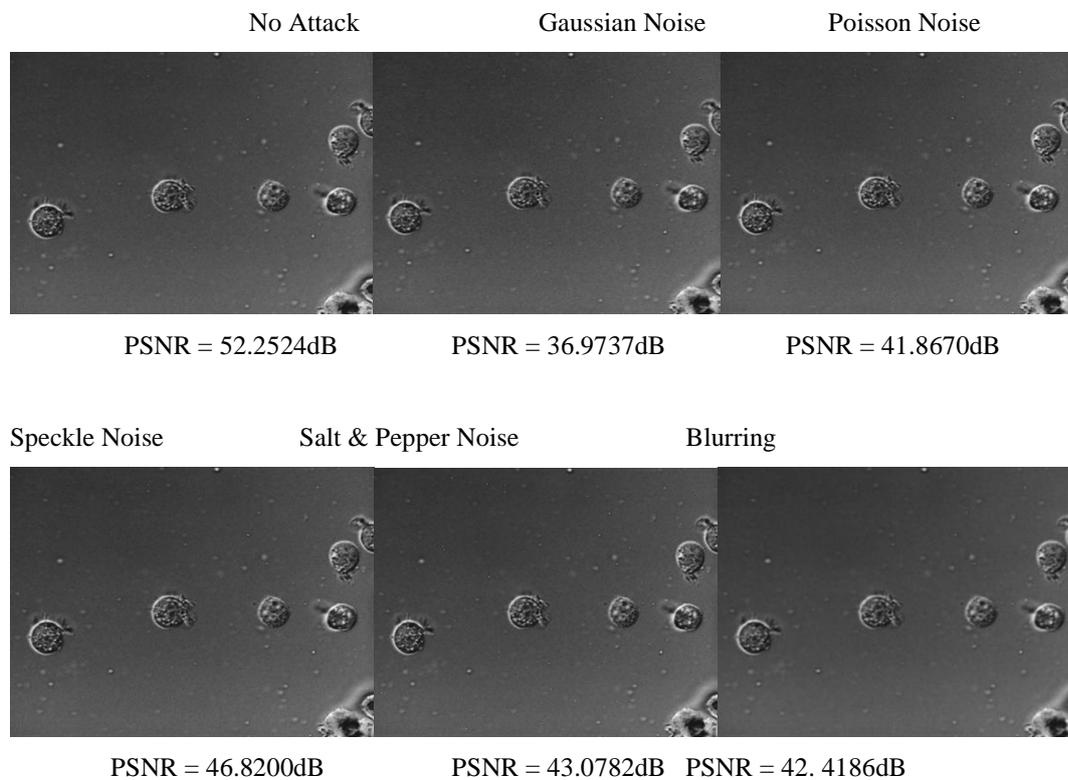
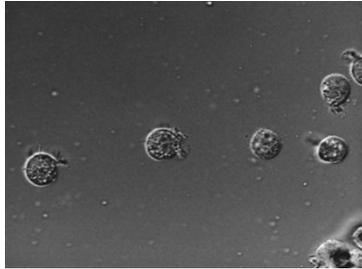


Figure4 Cover image and Watermark

The proposed technique is used to hide the watermark in the cover image. On the watermarked image different attacks are applied and the watermark was extracted. The attacks considered in this work are noise effects of Gaussian, Poisson, Speckle and Salt & Pepper, compression and blurring. In the Figure5 the extracted images with different attacks are shown along with the PSNR and MSE values.



Compression



PSNR = 38.5886dB

Figure 5 Extracted watermark after different attacks

The table I shows the performance of signature based technique on different images.

TABLE I: Performance of signature based technique

	Map		Bacteria		Concordortho		MRI	
	MSE	PSNR	MSE	PSNR	MSE	PSNR	MSE	PSNR
No Attack	1.36	46.79	0.39	52.25	0.64	50.07	0.10	58.29
Gaussian	12.92	37.02	13.05	36.97	13.08	36.97	8.95	38.61
Poisson	15.95	36.10	4.23	41.87	7.87	39.17	1.23	47.24
Speckle	6.51	39.99	1.35	46.82	2.85	43.58	0.36	52.55
Salt & Pepper	2.94	43.45	3.20	43.08	3.64	42.52	6.20	40.21
Blurring	580.6							
	0	20.49	3.73	42.42	56.69	30.60	43.90	31.71
Compression	8.88	38.65	9.00	38.59	8.99	38.59	9.00	38.59

VII.CONCLUSIONS

In this paper a novel robust watermarking scheme was proposed using DWT and SVD. A standard DWT-SVD based watermarking scheme was used. The HH subband was used to hold the watermark. In the standard DWT-SVD based watermarking scheme the authentication problem was explained. A signature based resolution to the authentication problem was proposed. The signature developed in this algorithm was specific to the SVD coefficients at the instant. The signature was embedded into the fourth level decomposition of LL of the cover image. Based on a secret key four coefficients are selected and then replaced with the signature. By using similar steps on watermarked image the signature will be extracted. If the signature is matched then U and V will be used to extract the watermark from the watermarked image. The simulation results have shown that the watermark was sustained a number attacks.

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Author’s Profile:



SavetheChdid B.Techin College of Engineering, Guindy (Anna University) in Electronics and Communication Engineering in 2016.Presently, she is pursuing M.Tech inGokula Krishna College of Engineering, Sullurpet (JNTUA, Ananthapuramu) in Digital Electronics and Communication Systems.



M. Gnanapriyareceived her B.E degree in the field of Electronics and Communication Engineering from Madurai Kamaraj University and completed her M.E in the field of Computer Science from AnnaUniversity, Tamilnadu. She is currently working as Associate Professor & Head of ECE Dept., Gokula Krishna College of Engineering, Sullurpet. Her areas of interest are Digital Signal Processing, Digital Image processing and Embedded Systems.