

IMPROVING THE POWER QUALITY OF A GRID CONNECTED INVERTER BY CASCADED CURRENT- VOLTAGE CONTROL

Tingilikar Divya¹, V.Sreepriya²

ABSTRACT

In this paper, a cascaded current–voltage control strategy is proposed for inverters to simultaneously improve the power quality of the inverter local load voltage and also the current exchanged with the grid. It also allows seamless transfer of the operation mode from stand-alone to grid-connected or vice versa. The control strategy includes an inner voltage loop and an outer current loop, with both controllers designed using the H_∞ repetitive control strategy. This results in a very low total harmonic distortion in both the inverter local load voltage and also the current exchanged with the grid at an equivalent time. The presented control strategy will be employed to single-phase inverters and three-phase four-wire inverters. It allows grid-connected inverters to inject balanced clean currents to the grid even when the local loads (if any) are unbalanced and/or nonlinear. Simulation results under different scenarios, with comparisons made to the current repetitive controller replaced with a current proportional–resonant controller, are proposed to demonstrate the excellent performance of the proposed strategy.

Index Terms— H_∞ control, microgrids, power quality, repetitive control, seamless transfer, total harmonic distortion (THD).

I. INTRODUCTION

Microgrids are increasing as a consequence of rapidly growing distributed power generation systems. up the management capabilities and operational options of microgrids brings environmental and economic advantages. The introduction of microgrids results in improved power quality, reduces transmission congestion, decreases emission and energy losses, and effectively facilitates the use of renewable energy. Microgrids are usually operated within the grid-connected mode; but, it's also expected to provide sufficient generation capacity, controls, and operational ways to provide a minimum of a part of the load after being disconnected from the distribution system and to remain operational as a stand-alone (islanded) system [1]–[6]. Traditionally, the inverters utilized in microgrids behave as current sources after they are connected to the grid and as voltage sources when they work autonomously [7]. This involves the change of the controller when the operational mode is changed from stand-alone to grid-connected or vice versa [8]. It's advantageous to operate inverters as voltage sources as a result of there is no need to change the controller when the operation mode is changed. A parallel control structure consisting of an output voltage controller and a grid current controller was presented in [8] to attain seamless transfer via changing the references to the controller without changing the controller. Another necessary aspect for grid connected inverters or microgrids is the active and reactive power control; see, e.g., [9] and [10] for more details.

As nonlinear and/or unbalanced loads will represent a high proportion of the full load in small-scale systems, the problem with power quality may be a particular concern in microgrids. Moreover, unbalanced utility grid voltages and utility voltage sags, which are 2 most common utility voltage quality issues, will affect microgrid power quality. The electrical converter controller ought to be ready to address unbalanced utility grid voltages and voltage sags, that are among the vary given by the waveform quality needs of the local loads and/or microgrids. When critical loads are connected to an inverter, severe unbalanced voltages are not usually acceptable, and also the inverter ought to be disconnected from the utility grid. Only if the voltage imbalance isn't therefore serious or the local load isn't very sensitive to it will the inverter remain connected. Since the controllers designed in the dq or $\alpha\beta$ frames under unbalanced situations become noticeably advanced it's advantageous to design the controller within the natural reference frame.

Another power quality problem in microgrids is the total harmonic distortion (THD) of the inverter local load voltage and also the current exchanged with the grid (referred to as the grid current during this paper), which has to be maintained low according to industrial regulations. It's been known that it's not a problem to obtain low THD either for the inverter local load voltage or for the grid current. However, no strategy has been reported within the literature to obtain low THD for both the inverter local load voltage and also the grid current simultaneously. This could even be believed not possible as a result of there is also nonlinear local loads. During this paper, a cascaded control structure consisting of an inner-loop voltage controller and an outer-loop current controller is presented to achieve this, when spotting that the inverter LCL filter will be split into 2 separate components (which is, of course, obvious however nobody has taken advantage of it). The LC part will be employed to design the voltage controller, and also the grid interface inductor may be used to design the present controller. The voltage controller is responsible for the power quality of the inverter native load voltage and power distribution and synchronization with the grid, and also the current controller is responsible for the power quality of the grid current, the power exchanged with the grid, and also the over current protection. With the help of the H_∞ repetitive control the presented strategy is able to maintain low THD in both the inverter local load voltage and also the grid current at an equivalent time. When the inverter is connected to the grid, both controllers are active; once the inverter isn't connected to the grid, the current controller is functioning under zero current reference. Hence, no additional effort is required when changing the operation mode of the inverter, which considerably facilitates the seamless mode transfer for grid-connected inverters. For three-phase inverters, the same individual controller can be used for each phase in the natural frame when the system is implemented with a neutral point controller, e.g., the one proposed. As a result, the inverter can cope with unbalanced local loads for three-phase applications. In other words, harmonic currents and unbalanced native load currents are all contained locally and don't affect the grid. Experimental results are given to demonstrate the excellent performance of the proposed control scheme.

It is worth stressing that the cascaded current–voltage control structure improves the quality of both the inverter native load voltage and also the grid current at an equivalent time and achieves seamless transfer of the operation mode. The outer-loop current controller provides a reference for the inner-loop voltage controller that is the key to permit the simultaneous improvement of the thd within the grid current and also the inverter local

load voltage and to attain the seamless transfer of operation mode. this can be different from the conventional voltage–current control strategy wherever the (inner) current loop is employed to regulate the filter inductor current of the electrical converter (not the grid current), thus it's not possible to attain synchronous improvement of the thd in the grid current and also the inverter local load voltage.

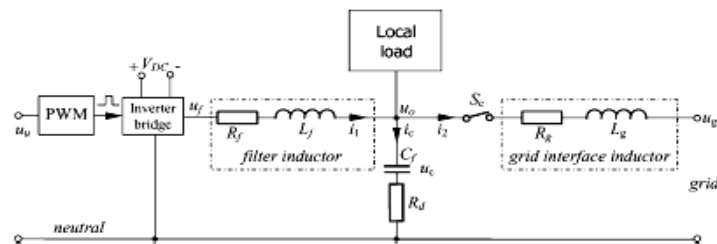


Fig. 1. Sketch of a grid-connected single-phase inverter with local loads.

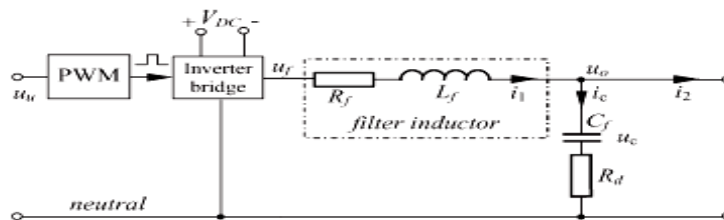


Fig. 2. Control plant P_u for the inner voltage controller.

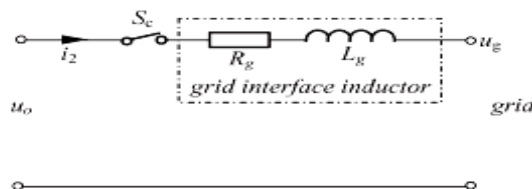


Fig. 3. Control plant P_i for the outer current controller.

An inner current loop will still be added to the presented structure inside the voltage loop without any difficulty to perform the conventional function, if needed. The H_∞ repetitive control strategy is adopted within the paper to design the controllers, however this is not a must; different approaches can be used as well. Repetitive control which is regarded as an easy learning control technique provides an alternate to perfectly track periodic signals and/or to reject periodic disturbances in dynamic systems, employing the internal model principle.

II. PROPOSED CONTROL SCHEME

Fig. 1 shows the structure of a single-phase inverter connected to the grid. It consists of an inverter bridge, AN LC filter, and a grid interface inductor connected with a circuit breaker. It's value noting that the local loads are connected in parallel with the filter capacitor. The current i_1 flowing through the filter inductor is called the filter inductor current in this paper, and also the current i_2 flowing through the grid interface inductor is called the grid current in this paper. The control objective is to maintain low thd for the inverter local load voltage u_o and, simultaneously, for the grid current i_2 . As a matter of fact, the system will be regarded as 2 components, as

shown in Figs. 2 and 3, cascaded together. Hence, a cascaded controller will be adopted and designed. The presented controller, as shown in Fig. 4, consists of 2 loops: An inner voltage loop to regulate the inverter local load voltage u_o and an outer current loop to regulate the grid current i_2 . According to the fundamental principles of control theory about cascaded control, if the dynamics of the outer loop is designed to be slower than that of the inner loop, then the two loops will be designed individually. As a result, the outer-loop controller may be designed under the assumption that the inner loop is already within the steady state, i.e., $u_o = u_{ref}$. It's also value stressing that the current controller is in the outer loop and also the voltage controller is in the inner loop. This can be contrary to what is usually done. In this paper, both controllers are designed using the H_∞ repetitive control strategy because of its excellent performance in reducing thd.

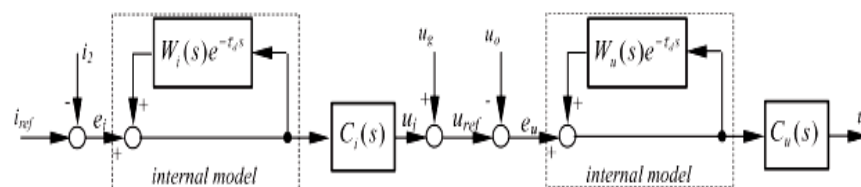


Fig. 4. Proposed cascaded current–voltage controller for inverters, where both controllers adopt the H_∞ repetitive strategy.

The main functions of the voltage controller are the following: to deal with power quality issues of the inverter local load voltage even under unbalanced and/or nonlinear local loads, to generate and dispatch power to the local load, and to synchronize the inverter with the grid. When the inverter is synchronized and connected with the grid, the voltage and the frequency are determined by the grid.

The main function of the outer-loop current controller is to exchange a clean current with the grid even in the presence of grid voltage distortion and/or nonlinear (and/or unbalanced for three-phase applications) local loads connected to the inverter. The current controller is used for over current protection, but usually, it's included in the drive circuits of the inverter bridge. A phase-locked loop (PLL) is used to provide the phase information of the grid voltage, that is required to generate the current reference i_{ref} (see Section V for an example). Because the control structure described here uses only one inverter connected to the system and also the inverter is assumed to be powered by a constant dc voltage source, no controller is required to regulate the dc-link voltage (otherwise, a controller is introduced to regulate the dc-link voltage).

Another important feature is that the grid voltage u_g is fed forward and added to the output of the current controller. This can be used as a synchronization mechanism, and it doesn't have an effect on the design of the controller, as are seen later.

III. DESIGN OF THE VOLTAGE CONTROLLER

The design of the voltage controller will be outlined hereinafter, following the detailed procedures proposed. A prominent feature different from what is known is that the control plant of the voltage controller is no longer the whole LCL filter but just the LC filter, as shown in Fig. 2.

A. State-Space Model of the Plant P0075

The corresponding control plant shown in Fig. 2 for the voltage controller consists of the inverter bridge and the LC filter (L_f and C_f). The filter inductor is modeled with a series winding resistance. The PWM block, together with the inverter, is modeled by using an average voltage approach with the limits of the available dc-link voltage so that the average value of u_o over a sampling period is equal to u_u. As a result, the PWM block and the inverter bridge can be ignored when designing the controller.

The filter inductor current *i*₁ and the capacitor voltage *u*_c are chosen as state variables $x_u = [i_1 \ u_c]^T$. The external input $w_u = [i_2 \ u_{ref}]^T$ consists of the grid current *i*₂ and the reference voltage *u*_{ref}. The control input is *u*_u. The output signal from the plant *P*_u is the tracking error $e_u = u_{ref} - u_o$, where $u_o = u_c + R_d(i_1 - i_2)$ is the inverter local load voltage. The plant *P*_u can be described by the state equation

$$\dot{x}_u = A_u x_u + B_{u1} w_u + B_{u2} u_u \quad (1)$$

and the output equation

$$y_u = e_u = C_{u1} x_u + D_{u1} w_u + D_{u2} u_u \quad (2)$$

with

$$A_u = \begin{bmatrix} -\frac{R_f + R_d}{L_f} & -\frac{1}{L_f} \\ \frac{1}{C_f} & 0 \end{bmatrix}$$

$$B_{u1} = \begin{bmatrix} \frac{R_d}{L_f} & 0 \\ -\frac{1}{C_f} & 0 \end{bmatrix} \quad B_{u2} = \begin{bmatrix} \frac{1}{L_f} \\ 0 \end{bmatrix}$$

$$C_{u1} = [-R_d \quad -1]$$

$$D_{u1} = [R_d \quad 1] \quad D_{u2} = 0.$$

The corresponding plant transfer function is then

$$P_u = \left[\begin{array}{c|cc} A_u & B_{u1} & B_{u2} \\ \hline C_{u1} & D_{u1} & D_{u2} \end{array} \right]. \quad (3)$$

B. Formulation of the Standard H_∞ Problem

In order to guarantee the stability of the inner voltage loop, an H_∞ control problem, as shown in Fig. 5, is formulated to minimize the H_∞ norm of the transfer function $T_{z_u} = F_l(\tilde{P}_u, C_u)$ from $\tilde{w}_u = [v_u \ w_u]^T$ to $\tilde{z}_u = [z_{u1} \ z_{u2}]^T$, after opening the local positive feedback loop of the internal model and introducing weighting parameters ξ_u and μ_u. The closed loop system can be represented as to be designed. The generalized plant \tilde{P}_u consists of the original plant *P*_u, together with the low-pass filter $W_u = _Aw_u B_w u C_w u D_w u$, which is the internal model for repetitive control. The details of how to select *W*_u can be found.

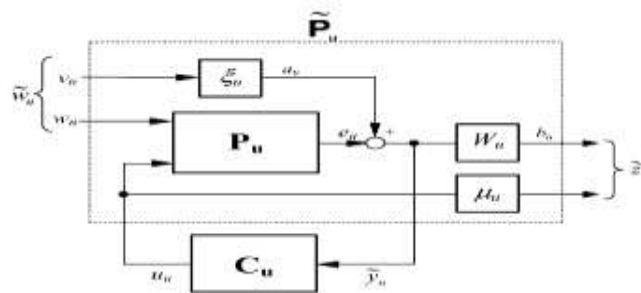


Fig. 5. Formulation of the H_∞ control problem for the voltage controller.

$$\begin{bmatrix} \tilde{z}_u \\ \tilde{y}_u \end{bmatrix} = \tilde{P}_u \begin{bmatrix} \tilde{w}_u \\ u_u \end{bmatrix} \quad (4)$$

$$u_u = C_u \tilde{y}_u$$

where \tilde{P}_u is the generalized plant and C_u is the voltage controller

A weighting parameter ζ_u is added to adjust the relative importance of v_u with respect to w_u , and another weighting parameter μ_u is added to adjust the relative importance of u_u with respect to b_u . The parameters ζ_u and μ_u also play a role in guaranteeing the stability of the system.

IV. DESIGN OF THE CURRENT CONTROLLER

As explained before, when designing the outer-loop current controller, it can be assumed that the inner voltage loop tracks the reference voltage perfectly, i.e., $u_o = u_{ref}$. Hence, the control plant for the current loop is simply the grid inductor, as shown in Fig. 3. The formulation of the H_∞ control problem to design the H_∞ compensator C_i is similar to that in the case of the voltage control loop shown in Fig. 5 but with a different plant P_i and the subscript u replaced with i .

A. State-Space Model of the Plant P_i

Since it can be assumed that $u_o = u_{ref}$, there is $u_o = u_g + u_{ior}$ and $u_i = u_o - u_g$ from Figs. 3 and 4, i.e., u_i is actually the voltage dropped on the grid inductor. The feedforwarded grid voltage u_g provides a base local load voltage for the inverter. The same voltage u_g appears on both sides of the grid interface inductor L_g , and it does not affect the controller design. Hence, the feedforwarded voltage path can be ignored during the design process. This is a very important feature. The only contribution that needs to be considered during the design process is the output u_{io} of the repetitive current controller.

TABLE I
 PARAMETERS OF THE INVERTER

Parameter	Value	Parameter	Value
L_f	$150\mu H$	R_f	0.045Ω
L_g	$450\mu H$	R_g	0.135Ω
C_f	$22\mu F$	R_d	1Ω

The grid current i_2 flowing through the grid interface inductor L_g is chosen as the state variable $x_i = i_2$. The external input is $w_i = i_{ref}$, and the control input is u_i . The output signal from the plant P_i is the tracking error $e_i = i_{ref} - i_2$, i.e., the difference between the current reference and the grid current.

V. SIMULATION RESULTS

A. In the Stand-Alone Mode:

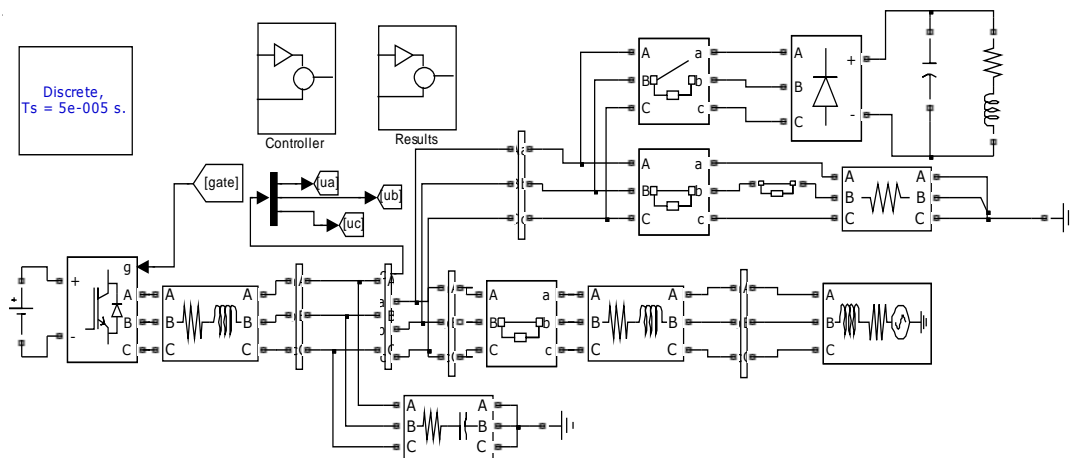


Fig 6. Simulation model for Stand- Alone mode

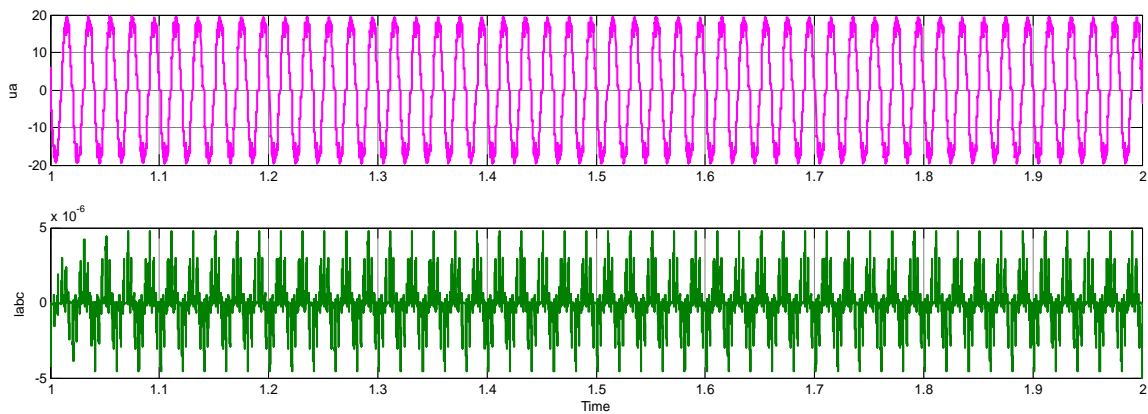


Fig.7 Simulation results for Stand-alone mode. (a) u_a and its reference u_{ref} and current i_{abc} .

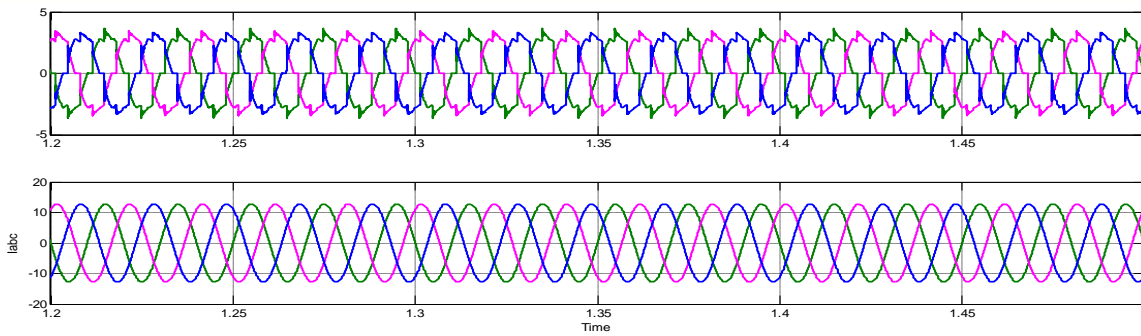


Fig 8. Simulation results for Stand-alone mode with a nonlinear load. (a) u_A and its reference u_{ref} and current i_{abc} .

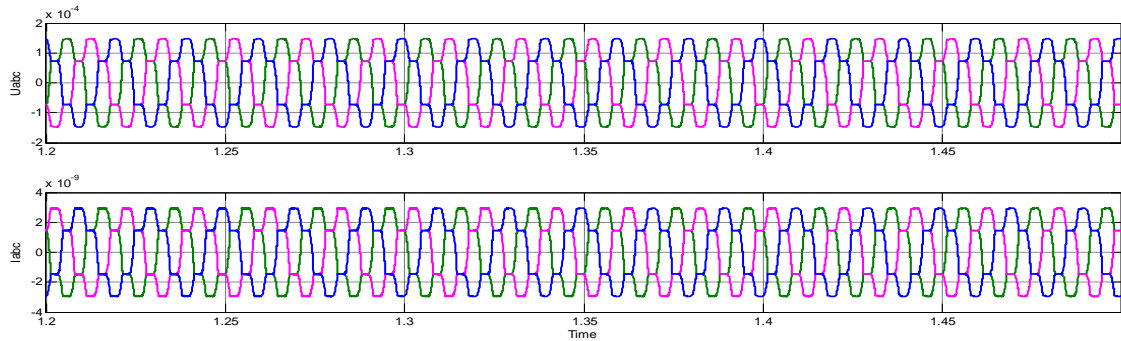


Fig 9. Simulation results for Stand-alone mode with an unbalanced load. (a) Inverter local load voltage and local load currents.

B. In the Grid-Connected Mode

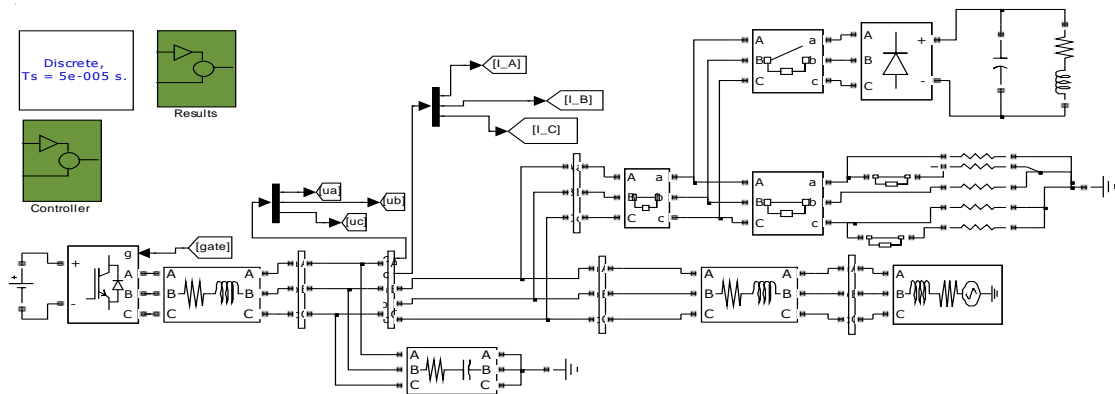


Fig.10 Simulation model for Grid connected mode

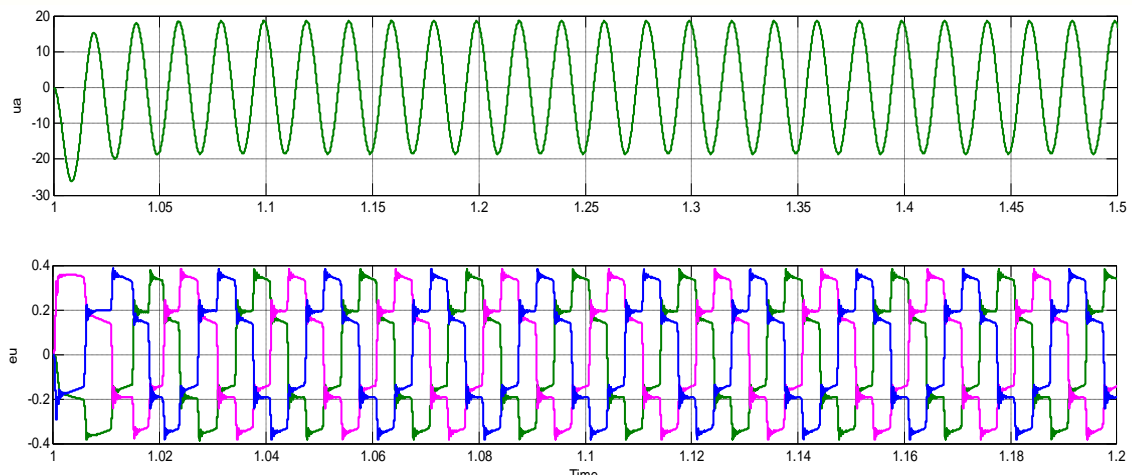


Fig .11 Simulation results for Grid-connected mode with unbalanced loads: Inverter local load voltage, the filter inductor currents, and the grid currents for H_{∞} repetitive current–voltage controller.

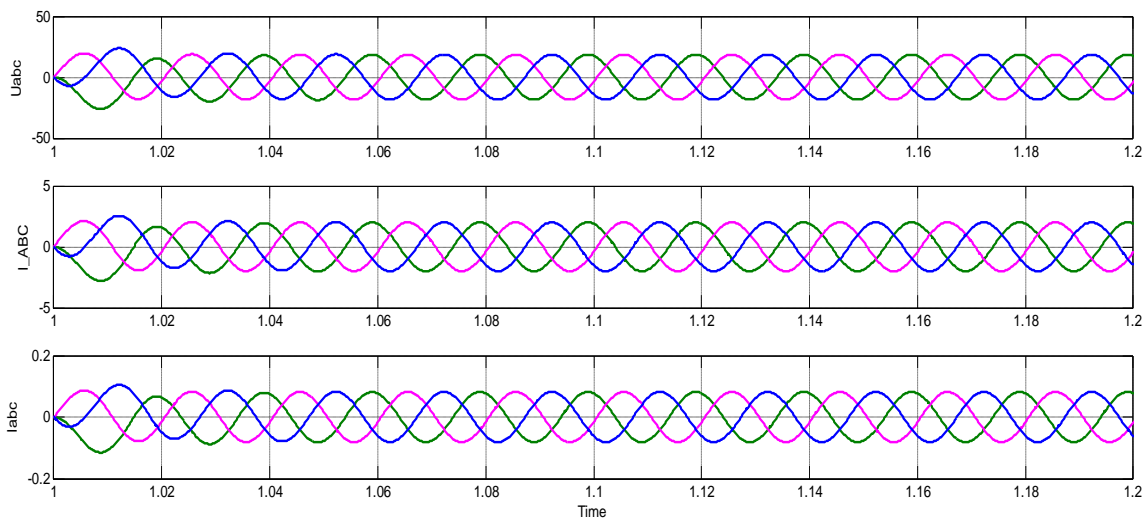


Fig.12. Simulation results for Grid-connected mode with unbalanced loads Inverter local load voltage and the grid current in the grid-connected mode with resistive load PR-current- H_{∞} -repetitive-voltage controller.

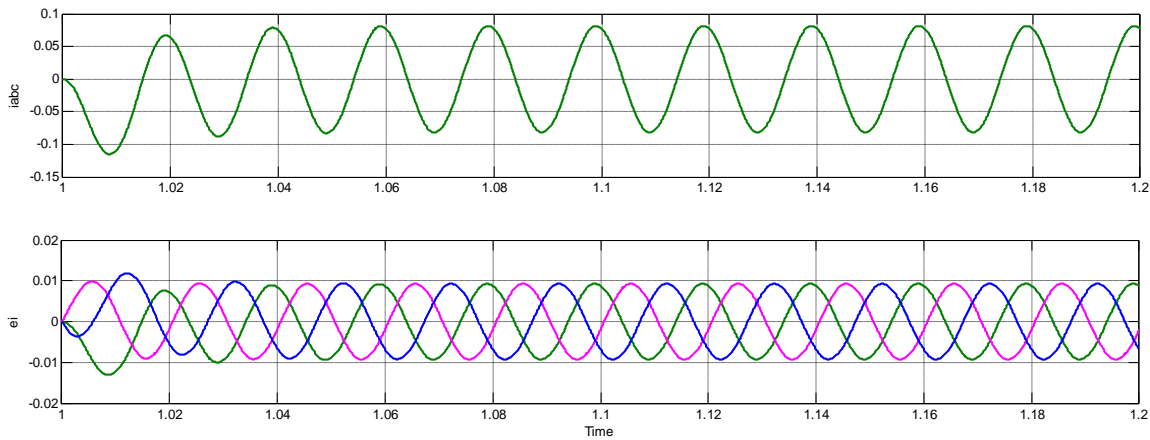


Fig.13. Simulation results for Inverter local load voltage and the grid current in the grid-connected mode with nonlinear load

C. Transient Performance:

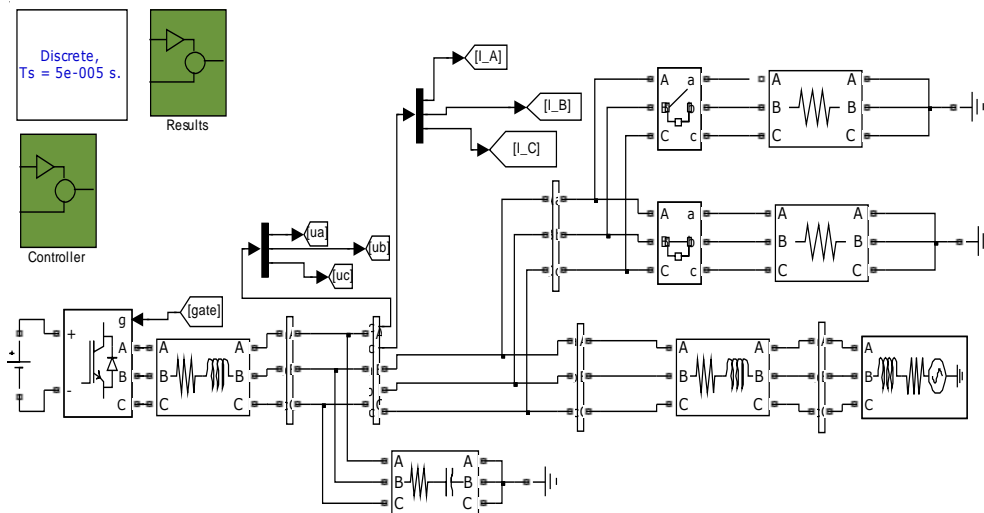


Fig.14. Simulation model for Transient Performance

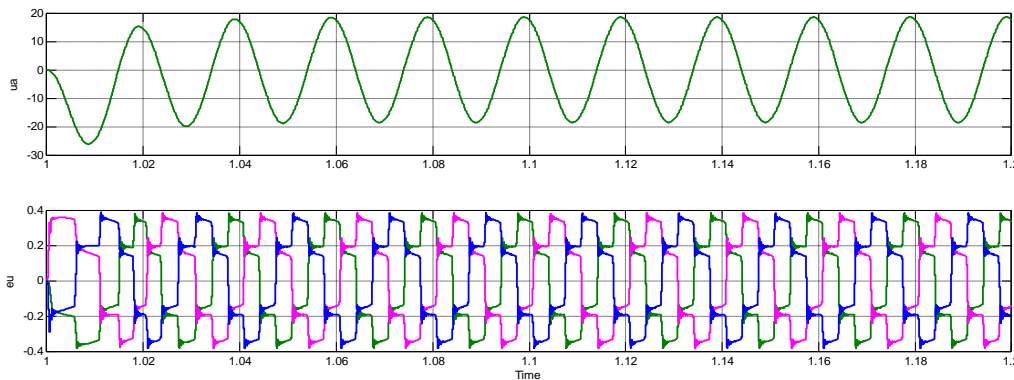


Fig.15. Simulation results for Transient response in the grid-connected mode without local load to 1-A step change in I^*d Grid current ia and its reference $iref$ and current tracking error ei for H_∞ repetitive current-voltage controller and PR-current- H_∞ -repetitive-voltage controller.

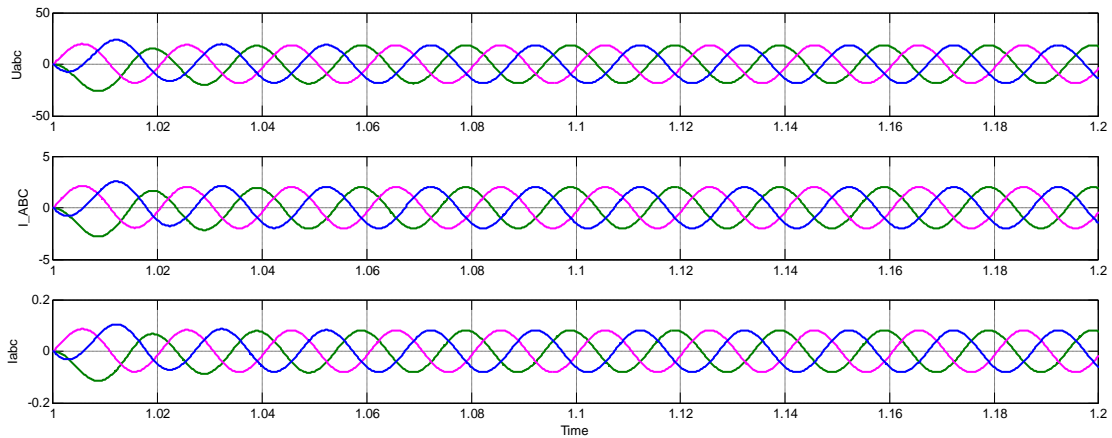


Fig .16. Simulation results for Transient Performance Transient response in the grid-connected mode local load was changed from 12 to 100 Ω at $t = 1.88$ s. i_a , its reference i_{ref} , and the current tracking error e_i and u_A , its reference u_{ref} , and the voltage tracking error e_u .

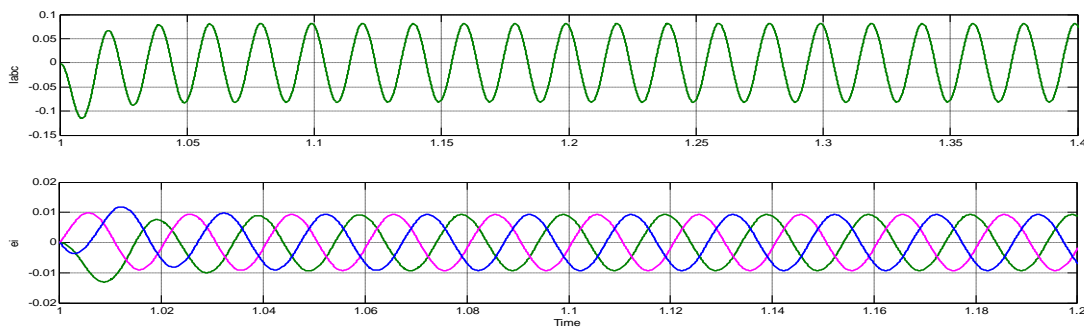


Fig .17. Simulation results for Transient Performance Transient response in the grid-connected mode local load was changed back from 100 to 12 Ω at $t = 6.61$ s. i_a , its reference i_{ref} , and the current tracking error e_i and u_A , its reference u_{ref} , and the voltage tracking error e_u .

D. Seamless Transfer of the Operation Mode

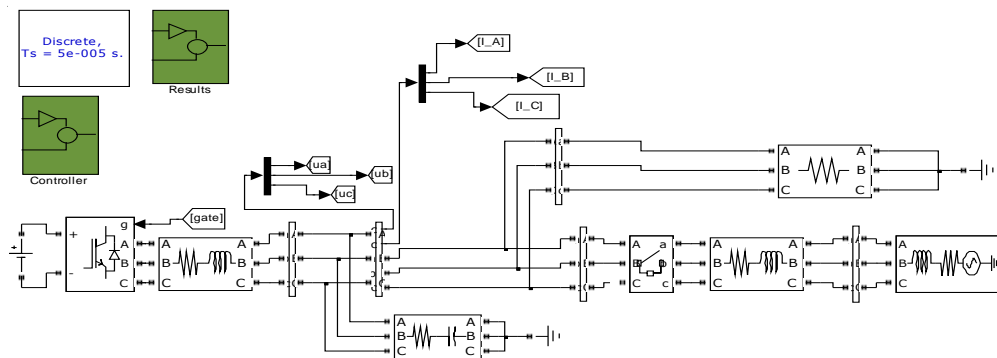


Fig.18 Simulation model for seamless transfer of the operation mode

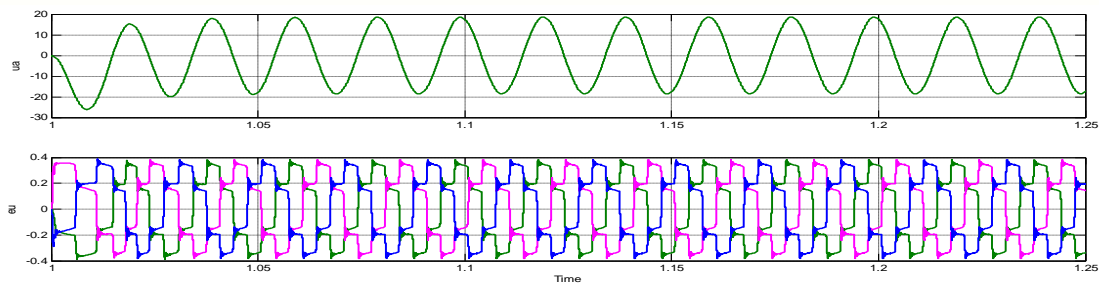


Fig .19 Simulation results for the stand-alone mode to the grid-connected mode at $t = 1s$, ia , its reference $iref$, and the current tracking error ei and uA , its reference $uref$, and the voltage tracking error eu .

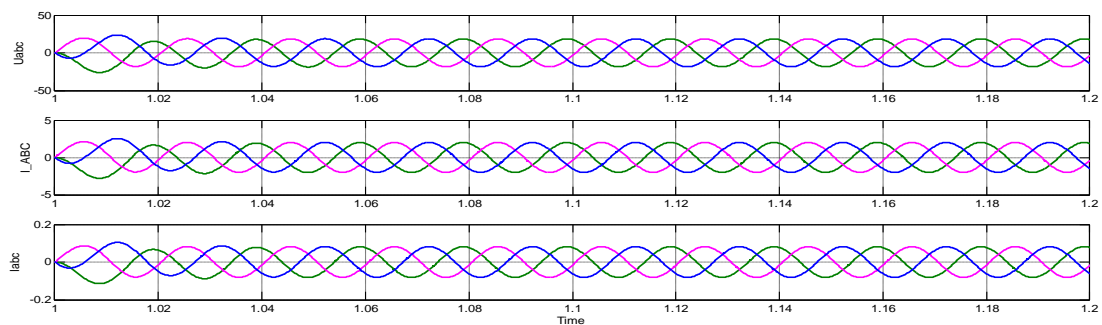


Fig .20. Simulation results for grid current reference I^*d from 0 to 1.5 A at $t = 3s$, ia , its reference $iref$, and the current tracking error ei . (b) uA , its reference $uref$, and the voltage tracking error eu .

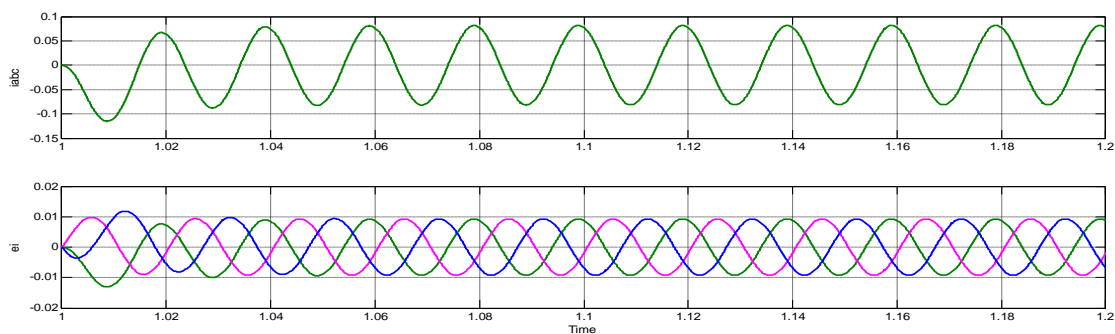


Fig .21. Simulation results for grid-connected mode to the stand-alone mode at $t = 7.08 s$, ia , its reference $iref$, and the current tracking error ei and uA , its reference $uref$, and the voltage tracking error eu .

VII. CONCLUSION

The cascaded current–voltage control strategy has been presented for inverters in microgrids. It consists of an inner voltage loop and an outer current loop and offers excellent performance in terms of thd for both the inverter native load voltage and also the grid current. Especially, when nonlinear and/or unbalanced loads are connected to the inverter in the grid-connected mode, the presented strategy significantly improves the thd of the

inverter native load voltage and also the grid current at the same time. The controllers are designed using the H_∞ repetitive control in this paper but will be designed using different approaches also. The presented strategy also achieves seamless transfer between the stand-alone and also the grid-connected modes. The strategy is used for single-phase systems or three-phase systems. As a result, the nonlinear harmonic currents and unbalanced local load currents are all contained locally and don't affect the grid. Simulation results under various situations have demonstrated the excellent performance of the proposed strategy.

VIII.ACKNOWLEDGEMENT

This paper is presented as the part of post-graduate research.

I'm thankful to the author **Zhong and Hornik** in this regard.

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